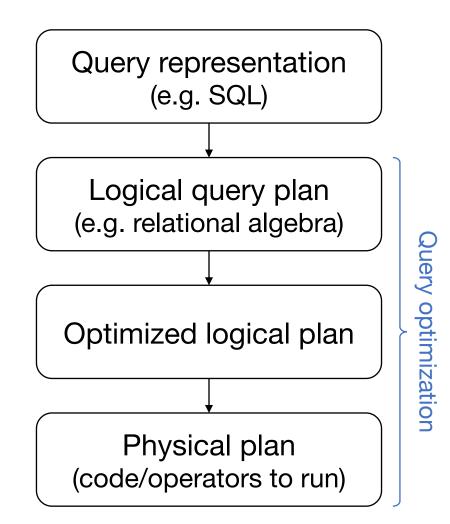
Query Optimization

Instructor: Matei Zaharia

Query Execution Overview



Outline

What can we optimize?

Rule-based optimization

Data statistics

Cost models

Cost-based plan selection

Outline

What can we optimize?

Rule-based optimization

Data statistics

Cost models

Cost-based plan selection

What Can We Optimize?

Operator graph: what operators do we run, and in what order?

Operator implementation: for operators with several impls (e.g. join), which one to use?

Access paths: how to read each table? » Index scan, table scan, C-store projections,

- - -

Typical Challenge

There is an exponentially large set of possible query plans



Result: we'll need techniques to prune the search space and complexity involved

Outline

What can we optimize?

Rule-based optimization

Data statistics

Cost models

Cost-based plan selection

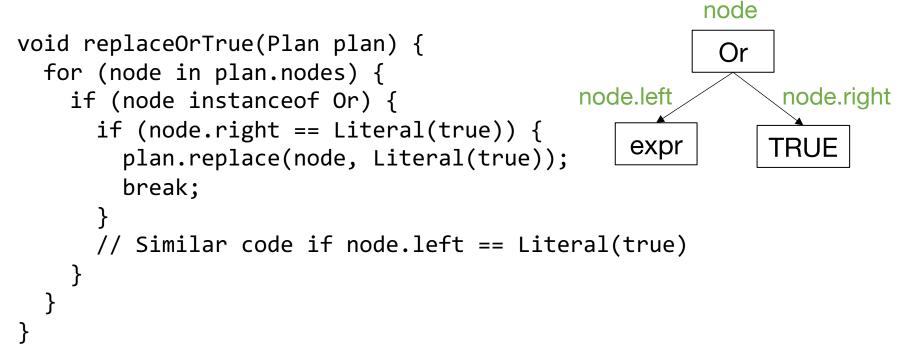
What is a Rule?

Procedure to replace part of the query plan based on a pattern seen in the plan

Example: When I see expr OR TRUE for an expression expr, replace this with TRUE

Implementing Rules

Each rule is typically a function that walks through query plan to search for its pattern



Implementing Rules

Rules are often grouped into phases

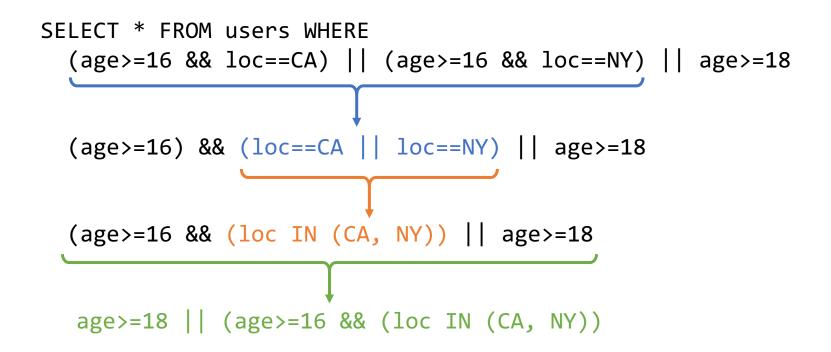
» E.g. simplify Boolean expressions, pushdown selects, choose join algorithms, etc

Each phase runs rules till they no longer apply

```
plan = originalPlan;
while (true) {
  for (rule in rules) {
    rule.apply(plan);
  }
  if (plan was not changed by any rule) break;
}
```

Result

Simple rules can work together to optimize complex query plans (if designed well):

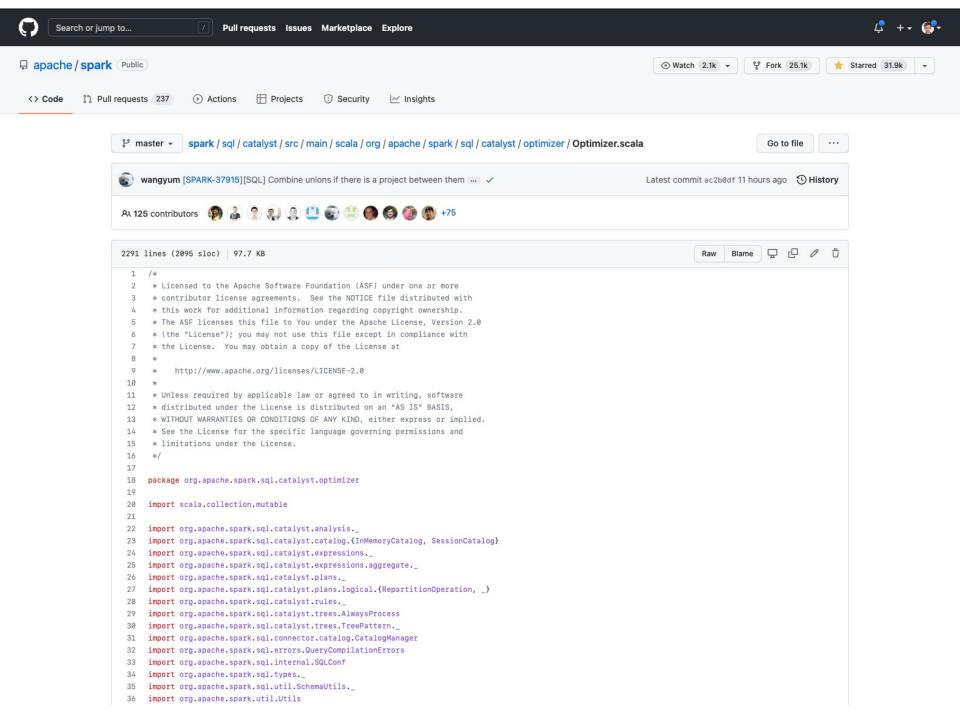


Example Extensible Optimizer

For Thursday, you'll read about Spark SQL's Catalyst optimizer

- » Written in Scala using its pattern matching features to simplify writing rules
- » >500 contributors worldwide, >1000 types of expressions, and hundreds of rules

We'll modify Spark SQL in assignment 2



```
70
       /**
71
        * Defines the default rule batches in the Optimizer.
72
        *
73
        * Implementations of this class should override this method, and [[nonExcludableRules]] if
74
        * necessary, instead of [[batches]]. The rule batches that eventually run in the Optimizer,
75
        * i.e., returned by [[batches]], will be (defaultBatches - (excludedRules - nonExcludableRules)).
76
        */
77
       def defaultBatches: Seq[Batch] = {
78
         val operatorOptimizationRuleSet =
79
           Sea(
 80
              // Operator push down
81
             PushProjectionThroughUnion,
 82
             ReorderJoin,
 83
             EliminateOuterJoin,
 84
             PushDownPredicates,
 85
             PushDownLeftSemiAntiJoin,
 86
             PushLeftSemiLeftAntiThroughJoin,
 87
             LimitPushDown,
 88
             LimitPushDownThroughWindow,
 89
             ColumnPruning,
 90
             GenerateOptimization,
91
             // Operator combine
 92
             CollapseRepartition,
 93
             CollapseProject,
 94
             OptimizeWindowFunctions,
 95
             CollapseWindow,
 96
             CombineFilters.
97
             EliminateLimits,
 98
             CombineUnions,
99
             // Constant folding and strength reduction
             OptimizeRepartition,
100
             TransposeWindow,
101
102
             NullPropagation,
103
             NullDownPropagation,
104
             ConstantPropagation,
105
             FoldablePropagation,
106
             OptimizeIn,
107
             ConstantFolding,
             EliminateAggregateFilter,
108
109
             ReorderAssociativeOperator,
             LikeSimplification,
110
111
             NotPropagation,
112
             BooleanSimplification,
113
             SimplifyConditionals,
114
             PushFoldableIntoBranches,
115
             RemoveDispensableExpressions,
116
             SimplifyBinaryComparison,
117
             ReplaceNullWithFalseInPredicate,
118
             SimplifyConditionalsInPredicate,
119
             PruneFilters,
120
             SimplifyCasts,
121
             SimplifyCaseConversionExpressions,
122
             RewriteCorrelatedScalarSubquery,
123
             RewriteLateralSubguery,
```

Common Rule-Based Optimizations

Simplifying expressions in select, project, etc

- » Boolean algebra, numeric expressions, string expressions, etc
- » Many redundancies because queries are optimized for readability or produced by code

Simplifying relational operator graphs » Select, project, join, etc

These relational optimizations have the most impact

Common Rule-Based Optimizations

Selecting access paths and operator implementations in simple cases Also very high impact » Index column predicate ⇒ use index » Small table ⇒ use hash join against it » Aggregation on field with few values ⇒ use in-memory hash table

Rules also often used to do type checking and analysis (easy to write recursively)

Common Relational Rules

Push selects as far down the plan as possible

Recall:

 $\sigma_{p}(R \bowtie S) = \sigma_{p}(R) \bowtie S \quad \text{if p only references R}$ $\sigma_{q}(R \bowtie S) = R \bowtie \sigma_{q}(S) \quad \text{if q only references S}$ $\sigma_{p \land q}(R \bowtie S) = \sigma_{p}(R) \bowtie \sigma_{q}(S) \quad \text{if p on R, q on S}$ Idea: reduce # of records early to minimize work

in later ops; enable index access paths

Common Relational Rules

Push projects as far down as possible

Recall:

$$\begin{split} \Pi_x(\sigma_p(\mathsf{R})) &= \Pi_x(\sigma_p(\Pi_{x\cup z}(\mathsf{R}))) & z = \text{the fields in } p \\ \Pi_{x\cup y}(\mathsf{R}\bowtie\mathsf{S}) &= \Pi_{x\cup y}\left((\Pi_{x\cup z}\left(\mathsf{R}\right))\bowtie\left(\Pi_{y\cup z}\left(\mathsf{S}\right)\right)\right) \\ & x = \text{fields in } \mathsf{R}, \ y = \text{in } \mathsf{S}, \ z = \text{in both} \end{split}$$

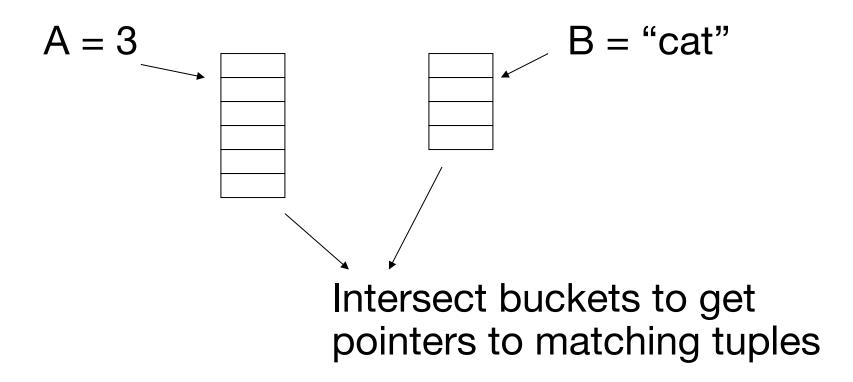
Idea: don't process fields you'll just throw away

Project Rules Can Backfire!

Example: R has fields A, B, C, D, E p: A=3 \land B="cat" x: {E}

$\Pi_{x}(\sigma_{p}(R))$ vs $\Pi_{x}(\sigma_{p}(\Pi_{\{A,B,E\}}(R)))$

What if R has Indexes?



In this case, should do $\sigma_p(R)$ first!

Bottom Line

Many valid transformations will not always improve performance

Need more info to make good decisions

- » **Data statistics:** properties about our input or intermediate data to be used in planning
- » **Cost models:** how much time will an operator take given certain input data statistics?

Outline

What can we optimize?

Rule-based optimization

Data statistics

Cost models

Cost-based plan selection

What Are Data Statistics?

Information about the tuples in a relation that can be used to estimate size & cost

 » Example: # of tuples, average size of tuples, # distinct values for each attribute, % of null values for each attribute

Typically maintained by the storage engine as tuples are added & removed in a relation » File formats like Parquet can also have them

Some Statistics We'll Use

For a relation R,

- **T(R)** = # of tuples in R
- **S(R)** = average size of R's tuples in bytes
- **B(R)** = # of blocks to hold all of R's tuples

V(R, A) = # distinct values of attribute A in R

R:

Α	В	С	D
cat	1	10	а
cat	1	20	b
dog	1	30	а
dog	1	40	С
bat	1	50	d

- A: 20 byte string
- B: 4 byte integer
- C: 8 byte date
- D: 5 byte string

R:

	Α	В	С	D
	cat	1	10	а
	cat	1	20	b
C	dog	1	30	а
C	dog	1	40	С
	bat	1	50	d

- A: 20 byte string
- B: 4 byte integer
- C: 8 byte date
- D: 5 byte string

Challenge: Intermediate Tables

Keeping stats for tables on disk is easy, but what about intermediate tables that appear during a query plan?

Examples:

$\sigma_p(R)$	-	We already have T(R), S(R), V(R, a), etc, but how to get these for tuples that pass p?
		Liberty and the state of the st

R ⋈ S ← How many and what types of tuple pass the join condition?

Should we do ($R \bowtie S$) $\bowtie T$ or $R \bowtie (S \bowtie T)$ or ($R \bowtie T$) $\bowtie S$?

Stat Estimation Methods

Algorithms to estimate subplan stats

An ideal algorithm would have:

- 1) Accurate estimates of stats
- 2) Low cost
- 3) Consistent estimates (e.g. different plans for a subtree give same estimated stats)

Can't always get all this!

Size Estimates for $W = R_1 \times R_2$

S(W) =

T(W) =

Size Estimates for $W = R_1 \times R_2$

 $S(W) = S(R_1) + S(R_2)$

$T(W) = T(R_1) \times T(R_2)$

Size Estimate for $W = \sigma_{A=a}(R)$

S(W) =

T(W) =

Size Estimate for $W = \sigma_{A=a}(R)$

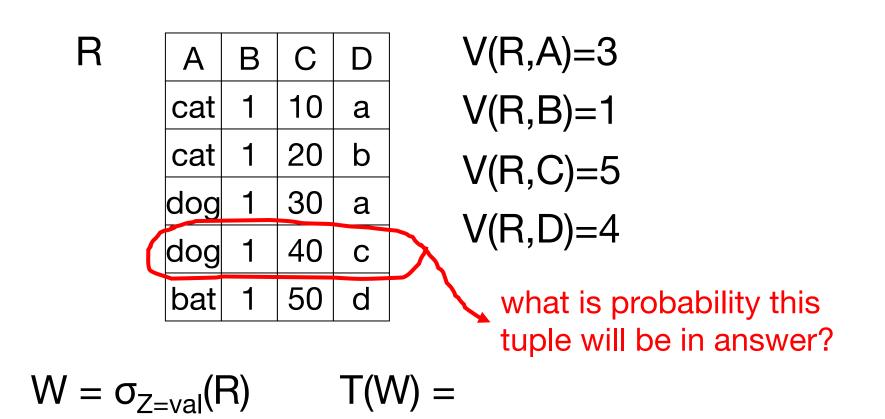
 $S(W) = S(R) \leftarrow$ Not true if some variable-length fields are correlated with value of A

T(W) =

R

A	В	С	D
cat	1	10	а
cat	1	20	b
dog	1	30	а
dog	1	40	С
bat	1	50	d

 $W = \sigma_{Z=val}(R)$ T(W) =



R

A	В	С	D
cat	1	10	а
cat	1	20	b
dog	1	30	а
dog	1	40	С
bat	1	50	d

$$W = \sigma_{Z=val}(R)$$
 $T(W) = \frac{T(R)}{V(R,Z)}$

Assumption:

Values in select expression Z=val are uniformly distributed over all V(R, Z) values

Alternate Assumption:

Values in select expression Z=val are **uniformly distributed** over a domain with DOM(R, Z) values

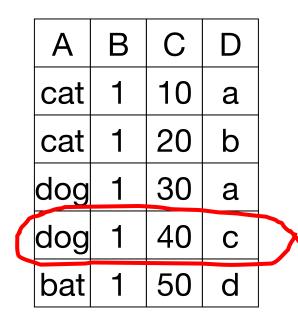
R

Α	В	С	D
cat	1	10	а
cat	1	20	b
dog	1	30	а
dog	1	40	С
bat	1	50	d

Alternate assumption V(R,A)=3, DOM(R,A)=10 V(R,B)=1, DOM(R,B)=10 V(R,C)=5, DOM(R,C)=10 V(R,D)=4, DOM(R,D)=10

 $W = \sigma_{Z=val}(R)$ T(W) =

R



Alternate assumption V(R,A)=3, DOM(R,A)=10 V(R,B)=1, DOM(R,B)=10 V(R,C)=5, DOM(R,C)=10 V(R,D)=4, DOM(R,D)=10

what is probability this tuple will be in answer?

 $W = \sigma_{Z=val}(R)$ T(W) =

R

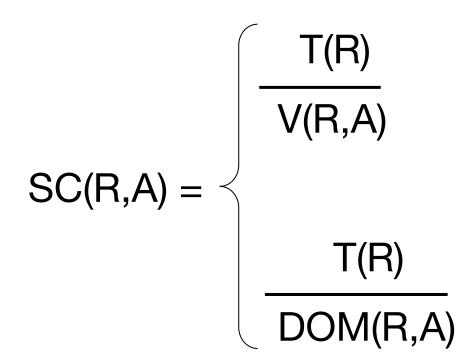
A	В	С	D
cat	1	10	а
cat	1	20	b
dog	1	30	а
dog	1	40	С
bat	1	50	d

Alternate assumption V(R,A)=3, DOM(R,A)=10 V(R,B)=1, DOM(R,B)=10 V(R,C)=5, DOM(R,C)=10 V(R,D)=4, DOM(R,D)=10

$$W = \sigma_{Z=val}(R)$$
 $T(W) = \frac{T(R)}{DOM(R,Z)}$

Selection Cardinality

SC(R, A) = average # records that satisfy equality condition on R.A



What About $W = \sigma_{z \ge val}(R)$?

T(W) = ?

What About $W = \sigma_{z \ge val}(R)$?

T(W) = ?

Solution 1: T(W) = T(R) / 2

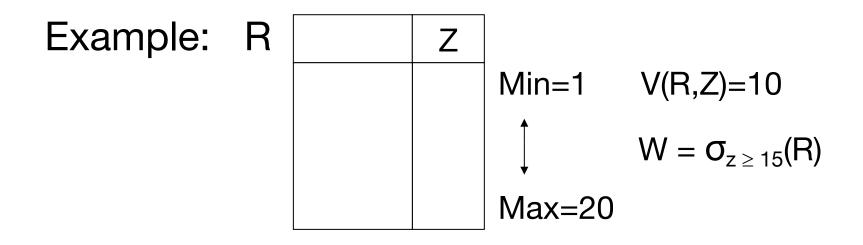
What About $W = \sigma_{z \ge val}(R)$?

 $\mathsf{T}(\mathsf{W}) = ?$

Solution 1: T(W) = T(R) / 2

Solution 2: T(W) = T(R) / 3

Solution 3: Estimate Fraction of Values in Range



f = 20-15+1 = 6 (fraction of range) 20-1+1 20

 $\mathsf{T}(\mathsf{W}) = \mathsf{f} \times \mathsf{T}(\mathsf{R})$

Solution 3: Estimate Fraction of Values in Range

Equivalently, if we know values in column:

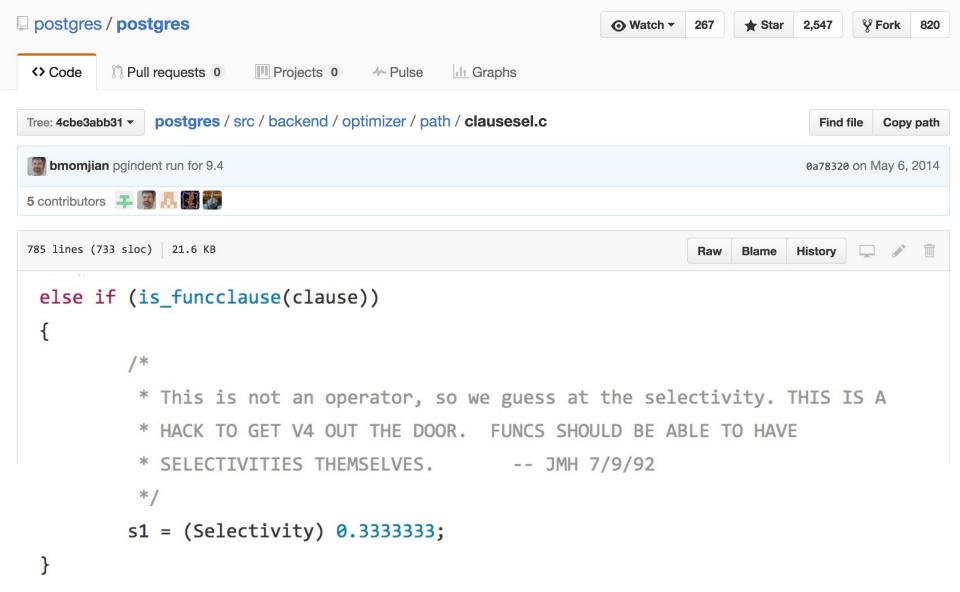
$f = fraction of distinct values \ge val$

$\mathsf{T}(\mathsf{W}) = \mathsf{f} \times \mathsf{T}(\mathsf{R})$

What About More Complex Expressions?

E.g. estimate selectivity for

SELECT * FROM R
 WHERE user_defined_func(a) > 10



```
function_selectivity(PlannerInfo *root,
1926
1927
                            Oid funcid,
                            List *args,
1928
1929
                            Oid inputcollid,
                            bool is_join,
1930
1931
                            int varRelid,
1932
                            JoinType jointype,
1933
                            SpecialJoinInfo *sjinfo)
1934 {
           RegProcedure prosupport = get_func_support(funcid);
1935
           SupportRequestSelectivity req;
1936
1937
           SupportRequestSelectivity *sresult;
1938
          /*
1939
1940
           * If no support function is provided, use our historical default
           * estimate, 0.33333333. This seems a pretty unprincipled choice, but
1941
           * Postgres has been using that estimate for function calls since 1992.
1942
1943
           * The hoariness of this behavior suggests that we should not be in too
1944
           * much hurry to use another value.
           */
1945
          if (!prosupport)
1946
1947
              return (Selectivity) 0.3333333;
1948
1949
           req.type = T_SupportRequestSelectivity;
1950
           req.root = root;
1951
           req.funcid = funcid;
1952
           req.args = args;
           req.inputcollid = inputcollid;
1953
           req.is_join = is_join;
1954
          req.varRelid = varRelid;
1955
1956
           req.jointype = jointype;
1957
           req.sjinfo = sjinfo;
           req.selectivity = -1;
                                       /* to catch failure to set the value */
1958
1959
1960
           sresult = (SupportRequestSelectivity *)
1961
              DatumGetPointer(OidFunctionCall1(prosupport,
1962
                                                PointerGetDatum(&reg)));
1963
          /* If support function fails, use default */
1964
          if (sresult != &reg)
1965
1966
              return (Selectivity) 0.3333333;
1967
          if (req.selectivity < 0.0 || req.selectivity > 1.0)
1968
1969
               elog(ERROR, "invalid function selectivity: %f", req.selectivity);
1970
           return (Selectivity) req.selectivity;
1971
1972 }
```

Size Estimate for $W = R_1 \bowtie R_2$

Let $X = attributes of R_1$

 $Y = attributes of R_2$

Case 1: $X \cap Y = \emptyset$:

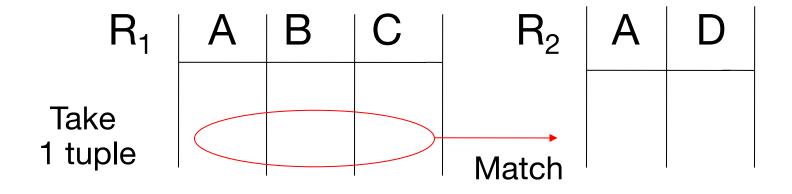
Same as R₁ x R₂

Case 2: W = R₁ \bowtie R₂, X \cap Y = A R₁ \land B C R₂ \land D

Case 2: W = R₁ \bowtie R₂, X \cap Y = A R₁ \land B C R₂ \land D

Assumption ("containment of value sets"): $V(R_1, A) \leq V(R_2, A) \Rightarrow$ Every A value in R_1 is in R_2 $V(R_2, A) \leq V(R_1, A) \Rightarrow$ Every A value in R_2 is in R_1

Computing T(W) when $V(R_1, A) \le V(R_2, A)$



1 tuple matches with $T(R_2)$ tuples... $V(R_2, A)$ $T(W) = T(R_1) \times T(R_2)$ SO V(R₂, A)

$V(\mathsf{R}_1, \mathsf{A}) \le V(\mathsf{R}_2, \mathsf{A}) \implies \mathsf{T}(\mathsf{W}) = \frac{\mathsf{T}(\mathsf{R}_1) \times \mathsf{T}(\mathsf{R}_2)}{\mathsf{V}(\mathsf{R}_2, \mathsf{A})}$

$V(R_2, A) \le V(R_1, A) \implies T(W) = \frac{T(R_1) \times T(R_2)}{V(R_1, A)}$

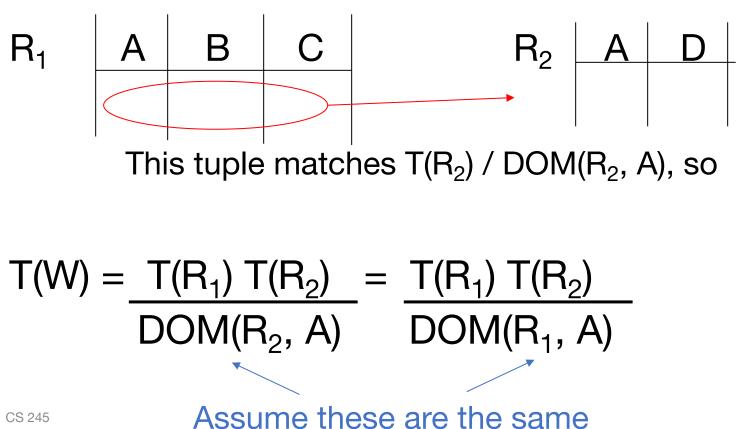
In General for $W = R_1 \bowtie R_2$

$$T(W) = T(R_1) \times T(R_2)$$
$$max(V(R_1, A), V(R_2, A))$$

Where A is the common attribute set

Case 2 with Alternate Assumption

Values uniformly distributed over domain



Tuple Size after Join

In all cases:

$$S(W) = S(R_1) + S(R_2) - S(A)$$

size of attribute A

Using Similar Ideas, Can Estimate Sizes of:

 $\Pi_{\mathsf{A},\mathsf{B}}(\mathsf{R})$

 $\sigma_{A=a \land B=b}(R)$

 $R \bowtie S$ with common attributes A, B, C

Set union, intersection, difference, ...

For Complex Expressions, Need Intermediate T, S, V Results

E.g. W =
$$\sigma_{A=a}(R_1) \bowtie R_2$$

Treat as relation U

 $T(U) = T(R_1) / V(R_1, A)$ $S(U) = S(R_1)$

Also need V(U, *) !!

To Estimate V

E.g., U = $\sigma_{A=a}(R_1)$

Say R₁ has attributes A, B, C, D

V(U, A) =V(U, B) =V(U, C) =V(U, D) =

 R_1

A	В	С	D
cat	1	10	10
cat	1	20	20
dog	1	30	10
dog	1	40	30
bat	1	50	10

 $V(R_1, A)=3$ $V(R_1, B)=1$ $V(R_1, C)=5$ $V(R_1, D)=3$

$$U = \sigma_{A=a}(R_1)$$

 R_1

Α	В	С	D
cat	1	10	10
cat	1	20	20
dog	1	30	10
dog	1	40	30
bat	1	50	10

 $V(R_1, A)=3$ $V(R_1, B)=1$ $V(R_1, C)=5$ $V(R_1, D)=3$

 $U = \sigma_{A=a}(R_1)$

V(U, A) = 1 V(U, B) = 1 V(U, C) = T(R1)V(R1,A)

V(U, D) = somewhere in between...

Possible Guess in U = $\sigma_{A \ge a}(R)$

V(U, A) = V(R, A) / 2

V(U, B) = V(R, B)

For Joins: $U = R_1(A,B) \bowtie R_2(A,C)$

We'll use the following estimates:

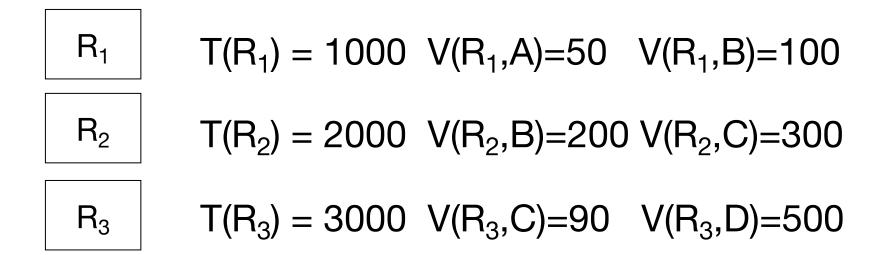
$$V(U, A) = min(V(R_1, A), V(R_2, A))$$

 $V(U, B) = V(R_1, B)$

 $V(U, C) = V(R_2, C)$

Called "preservation of value sets"

 $Z = R_1(A,B) \bowtie R_2(B,C) \bowtie R_3(C,D)$



Partial Result: $U = R_1 \bowtie R_2$

$T(U) = \frac{1000 \times 2000}{200} \qquad V(U,A) = 50$ V(U,B) = 100V(U,C) = 300

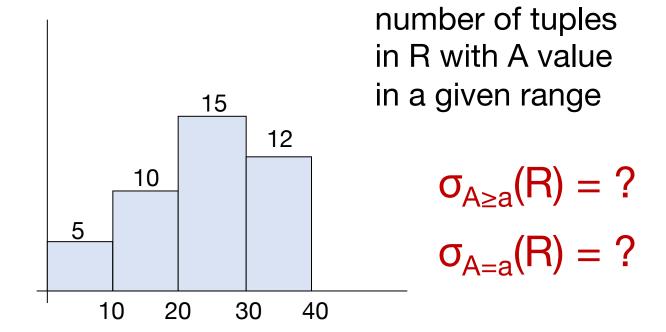
End Result: $Z = U \bowtie R_3$

$T(Z) = 1000 \times 2000 \times 3000$

200×300

V(Z,A) = 50V(Z,B) = 100V(Z,C) = 90V(Z,D) = 500

Another Statistic: Histograms



Requires some care to set bucket boundaries

Outline

What can we optimize?

Rule-based optimization

Data statistics

Cost models

Cost-based plan selection